

Landmark-Based Heuristics for Goal Recognition

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Introduction

- **Goal Recognition** is the task of recognizing agents' goals from either partial or full observations;
- In this work, we use a **planning domain definition** to represent agent behavior and environment properties;
- Our main contribution is twofold:
 - We **obviate the need to execute a planner multiple times** for recognizing goals; and
 - We develop novel goal recognition heuristics that **use planning landmarks**.
- We show that **our approaches are more accurate and orders of magnitude faster** than Ramírez and Geffner's approach.

Definition (**Goal Recognition Problem**)

- Domain Definition (Properties and Actions) $\Xi = \langle \Sigma, \mathcal{A} \rangle$;
- Initial State \mathcal{I} ;
- A Set of Candidate Goals \mathcal{G} (with a hidden goal G); and
- Sequence of Observations (*i.e.*, Observed Actions) O .
 - This observation sequence can be either **partial** or **full**.

- The solution for a goal recognition problem is the hidden goal $G \in \mathcal{G}$ that the observation sequence O of a plan execution achieves.

Background: Planning and Landmarks

Definition (**Planning**)

A *planning instance* is represented by a triple $\Pi = \langle \Xi, \mathcal{I}, G \rangle$, in which:

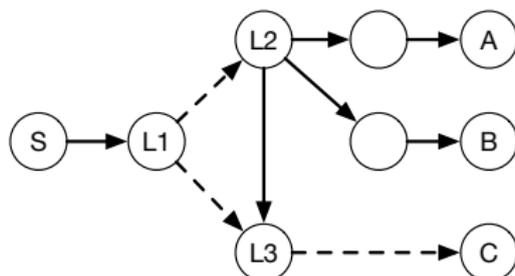
- $\Xi = \langle \Sigma, \mathcal{A} \rangle$ is the **domain definition**, and consists of a finite set of **facts** Σ and a finite set of **actions** \mathcal{A} (action costs = 1);
- \mathcal{I} and G represent the **planning problem**, in which $\mathcal{I} \subseteq \Sigma$ is the **initial state**, and $G \subseteq \Sigma$ is the **goal state**.

Definition (**Landmarks**)

Given a planning instance $\Pi = \langle \Xi, \mathcal{I}, G \rangle$, a **fact** (or **action**) L is a *landmark* in Π iff L must be **satisfied** (or **executed**) at some point along all valid plans that achieve G from \mathcal{I} .

- To extract landmarks and their ordering, we use an algorithm developed by Hoffman *et al.* (Ordered Landmarks in Planning. JAIR, 2004).

Computing Achieved Landmarks



- Our heuristics require identifying which fact landmarks have been achieved during the observed plan execution for every candidate goal $G \in \mathcal{G}$;
- For every candidate goal $G \in \mathcal{G}$:
 - Extract *ordered* landmarks for G ;
 - Analyze achieved landmarks of G in preconditions and effects of every observed action $o \in \mathcal{O}$;
 - As we deal with partial observability, some observed actions may be missing, thus whenever we identify a fact landmark, we also infer that its predecessors must have been achieved;

Landmark-Based Goal Completion Heuristic

- Our first heuristic, called h_{gc} , operates by aggregating the percentage of completion of each sub-goal into an overall percentage of completion for all facts of a candidate goal;

$$h_{gc}(G, \mathcal{AL}_G, \mathcal{L}_G) = \left(\frac{\sum_{g \in G} \frac{|\mathcal{AL}_g \in \mathcal{AL}_G|}{|\mathcal{L}_g \in \mathcal{L}_G|}}{|G|} \right) \quad (1)$$

where:

- \mathcal{AL}_G achieved landmarks for goals in G
- \mathcal{L}_G all landmarks for goals in G

Landmark-Based Goal Completion Heuristic: Algorithm

- Our approach allows the use of a threshold θ , giving us **flexibility to avoid eliminating candidate goals** whose the percentage of goal completion are close to the highest completion value;

Algorithm 2 Recognize goals/plans using the heuristic h_{gc} .

Input: Ξ planning domain definition, \mathcal{I} initial state, \mathcal{G} set of candidate goals, O observations, and θ threshold.

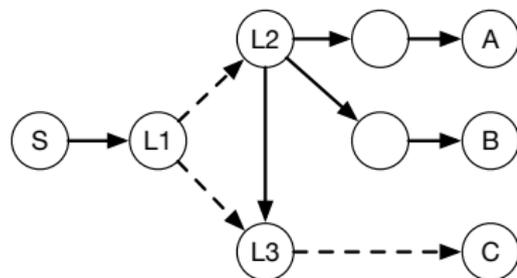
Output: Recognized goal(s).

- 1: **function** RECOGNIZE($\Xi, \mathcal{I}, \mathcal{G}, O, \theta$)
 - 2: $\mathcal{L}_{\mathcal{G}} \leftarrow \text{EXTRACTLANDMARKS}(\Xi, \mathcal{I}, \mathcal{G})$
 - 3: $\Lambda_{\mathcal{G}} \leftarrow \text{COMPUTEACHIEVEDLANDMARKS}(\mathcal{I}, \mathcal{G}, O, \mathcal{L}_{\mathcal{G}})$
 - 4: $maxh \leftarrow \max_{G' \in \mathcal{G}} h_{gc}(G', \Lambda_{\mathcal{G}}(G'), \mathcal{L}_{\mathcal{G}}(G'))$
 - 5: **return** all G s.t $G \in \mathcal{G}$ and
 $h_{gc}(G, \Lambda_{\mathcal{G}}(G), \mathcal{L}_{\mathcal{G}}(G)) \geq (maxh - \theta)$
 - 6: **end function**
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Landmark-Based Uniqueness Heuristic (1 of 2)

- To develop our second heuristic, we introduce the concept of **landmark uniqueness**, which is the inverse frequency of a landmark among the landmarks found in a set of candidate goals, *i.e.*, how unique (and thus informative) each landmark is among all landmarks;

$$L_{Uniq}(L, \mathcal{L}_G) = \left(\frac{1}{\sum_{L \in \mathcal{L}_G} |\{L | L \in \mathcal{L}\}|} \right) \quad (2)$$



$$L_{Uniq}(L2) = 1/2$$

$$L_{Uniq}(L1) = 1/3$$

$$L_{Uniq}(L3) = 1$$

Landmark-Based Uniqueness Heuristic (2 of 2)

- Our second heuristic, called h_{uniqu} , estimates the goal completion of a candidate goal G by calculating the ratio between the sum of the uniqueness value of the achieved landmarks of G and the sum of the uniqueness value of all landmarks of G ;

$$h_{uniqu}(G, \mathcal{AL}_G, \mathcal{L}_G, \Upsilon_{uv}) = \left(\frac{\sum_{\mathcal{A}_L \in \mathcal{AL}_G} \Upsilon_{uv}(\mathcal{A}_L)}{\sum_{L \in \mathcal{L}_G} \Upsilon_{uv}(L)} \right) \quad (3)$$

where:

- Υ_{uv} is a table of uniqueness values
- \mathcal{AL}_G achieved landmarks for goals in G
- \mathcal{L}_G all landmarks for goals in G

Landmark-Based Uniqueness Heuristic: Algorithm

- Our second heuristic is called h_{uniq} ;

Algorithm 3 Recognize goals/plans using the heuristic h_{uniq} .

Input: Ξ planning domain definition, \mathcal{I} initial state, \mathcal{G} set of candidate goals, O observations, and θ threshold.

Output: Recognized goal(s).

```
1: function RECOGNIZE( $\Xi, \mathcal{I}, \mathcal{G}, O, \theta$ )
2:    $\mathcal{L}_{\mathcal{G}} \leftarrow$  EXTRACTLANDMARKS( $\Xi, \mathcal{I}, \mathcal{G}$ )
3:    $\Lambda_{\mathcal{G}} \leftarrow$  COMPUTEACHIEVEDLANDMARKS( $\mathcal{I}, \mathcal{G}, O, \mathcal{L}_{\mathcal{G}}$ )
4:    $\Upsilon_{uv} \leftarrow \langle \rangle$   $\triangleright$  Map of landmarks to their uniqueness value.
5:   for each fact landmark  $L$  in  $\mathcal{L}_{\mathcal{G}}$  do
6:      $\Upsilon_{uv}(L) \leftarrow$   $L_{Uniq}(L, \mathcal{L}_{\mathcal{G}})$ 
7:   end for
8:    $maxh \leftarrow \max_{G' \in \mathcal{G}} h_{uniq}(G', \Lambda_{\mathcal{G}}(G'), \mathcal{L}_{\mathcal{G}}(G'), \Upsilon_{uv})$ 
9:   return all  $G$  s.t  $G \in \mathcal{G}$  and
       $h_{uniq}(G, \Lambda_{\mathcal{G}}(G), \mathcal{L}_{\mathcal{G}}(G), \Upsilon_{uv}) \geq (maxh - \theta)$ 
10: end function
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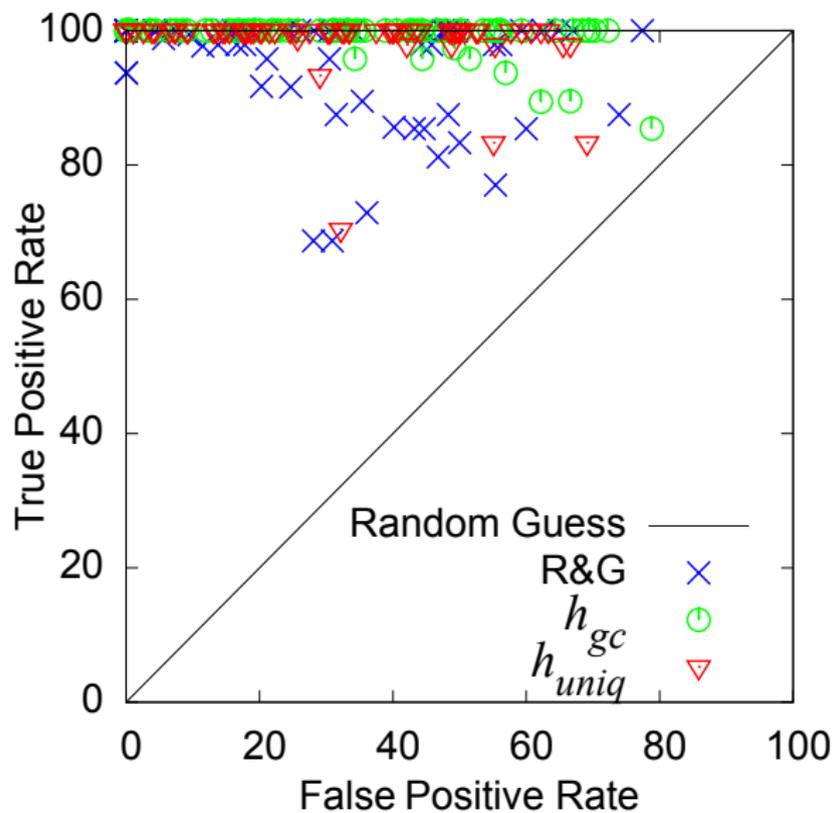
Experiments and Evaluation

- We evaluate our heuristics over datasets with 15 planning domains (6 of these domains are provided by Ramírez and Geffner), such as:
 - BLOCKS-WORLD, CAMPUS, DEPOTS, DRIVER-LOG, DOCK-WORKER-ROBOTS, EASY-IPC-GRID, FERRY, INTRUSION-DETECTION, KITCHEN, LOGISTICS, MICONIC, ROVERS, SATELLITE, SOKOBAN, AND ZENO-TRAVEL;
- These datasets contain hundreds of goal recognition problems, varying the observability (10%, 30%, 50%, 70%, and 100%);
- We compared our heuristics against the heuristic-based approach of Ramírez and Geffner (Plan Recognition as Planning. IJCAI, 2009), which is their fastest and most accurate approach;

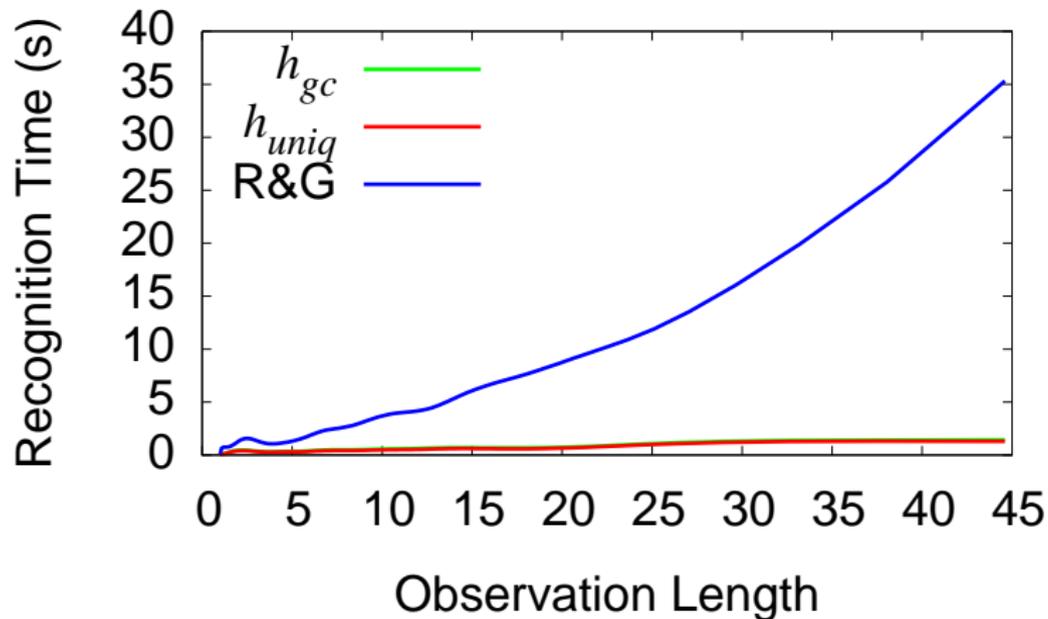
Experiments and Evaluation - ROC Space (1 of 2)

- We select the results of our heuristics using threshold $\theta = 30\%$;
- To evaluate our heuristics against Ramírez and Geffner's approach, we use the ROC space, which shows the trade-off between True Positive results and False Positive results;
- We aggregate multiple domains and plot these goal recognition results in ROC space, we aim to show how good each approach is in general (all domains);

Experiments and Evaluation - ROC Space (2 of 2)



Experiments and Evaluation - Recognition Time



- **Contribution:**

- Use planning landmarks for goal recognition; and
- Obviate the need to run a planner during goal recognition, resulting in much faster and highly accurate recognition.

- **Limitations:**

- Sensitive to the presence of landmarks
- Low accuracy with very few observations, *i.e.*, 10% of observability;

- **Future Work:**

- Use different landmark extraction algorithms;
- Use goal ordering techniques;
- Derive a probabilistic interpretation for the landmarks; and
- Apply our landmark-based heuristics to continuous and temporal domains.

Thank you!
Questions?